## Gas Laws

## Ideal Gas Law Equation of State

Relationship between the variables that describe a gas, could be a parcel of air, or the entire atmosphere

## Gas Variables

- Pressure - intensity of force applied to the parcel of gas (force/area)
- Volume - 3D space occupied by the parcel of gas
- Mass - quantity of gas in the parcel, measured in mass units
- Density - mass/volume
- Temperature - measure of average kinetic energy of the gas


## Different Views of Pressure in the Atmosphere

1. At the surface of the earth or a given height above sea level
Pressure is the weight of the atmosphere per unit area (lbs/sq.in.)
2. For a parcel of air

Pressure is the intensity of force applied either externally or internally (lbs/sq.in.)

## Pressure is Isotropic

- Isotropic - equal in all directions
- Gas must be in equilibrium - not moving



## Hydrostatic Equilibrium



## Hydrostatic Equilibrium

- Pressure decreases with height
- Net Force is upward due to difference in pressure on bottom and top of parcel
- Force of gravity depends on mass in parcel
- Force of gravity balances force due to pressure differences


## Pressure Layers



## Gas Laws

Boyle's Law 1660

Relationship of
Pressure a nd
Volume
Temperature is
constant


Boyle's Law - Data

| P | V | $\mathrm{P} \times \mathrm{V}$ |
| :---: | :---: | :---: |
| 1 | 1 | 1 |
| 2 | $1 / 2$ | 1 |
| 3 | $1 / 3$ | 1 |
| 4 | $1 / 4$ | 1 |

## Boyle's Law Summary

Pressure and Volume of a gas are Inversely proportional (if the temperature is constant)
$($ Pressure $) x($ Volume $)=$ Constant Value

## Boyle's Law Example

1. Start: $P=1000 \mathrm{mb}$

$$
\mathrm{V}=3 \mathrm{~m}^{3}
$$

2. $\mathrm{P} \times \mathrm{V}=1000 \times 3=3000$ (constant value)
3. Finish $\mathrm{P}=700 \mathrm{mb}$, ? What is V
4. $\mathrm{P} \times \mathrm{V}=3000$
$700 \mathrm{x}(\mathrm{V})=3000$
$\mathrm{V}=3000 / 700=4.3 \mathrm{~m}^{3}$

## Gas Laws

Charles Law
Temperature and Volume

Pressure is
Constant

Constant Force
Constant Pressure


## Charles' Law - Data

| T | V | Tx V | $\mathrm{V} / \mathrm{T}$ |
| :---: | :---: | :---: | :---: |
| 1 | 1 | 1 | 1 |
| 2 | 2 | 4 | 1 |
| 3 | 3 | 9 | 1 |
| $1 / 2$ | $1 / 2$ | $1 / 4$ | 1 |

## Charles’ Law Summary

Temperature and Volume are Directly proportional (if pressure is constant)
$($ Volume $) /($ Temperature $)=$ Constant Value

## Charles’ Law Example

1. Start: $\mathrm{V}=5 \mathrm{~m}^{3}, \mathrm{~T}=200 \mathrm{~K}$
2. $\mathrm{V} / \mathrm{T}=5 / 200=0.025$ (constant value)
3. Finish: $\mathrm{T}=350 \mathrm{~K}$, ? What is V
4. $\mathrm{V} / \mathrm{T}=0.025$
$\mathrm{V} / 350=0.025$

$$
\mathrm{v}=(0.025) \mathrm{x}(350)=8.75 \mathrm{~m}^{3}
$$

## Ideal Gas Law

## Relationship when P, V, and T may all be changing

Combination of Boyle's Law and Charles' Law

## Ideal Gas Law

$(\mathrm{P} x \mathrm{~V}) / \mathrm{T}=\mathrm{Constant}$ Value

## Ideal Gas Law - Example

1. Start: $\mathrm{P}=1000 \mathrm{mb}, \mathrm{V}=12 \mathrm{~m}^{3}, \mathrm{~T}=280 \mathrm{~K}$
2. $(\mathrm{PxV}) / \mathrm{T}=(1000 \times 12) / 280=42.85$
3. Finish: $\mathrm{P}=600 \mathrm{mb}, \mathrm{T}=240 \mathrm{~K}$, What is V
4. $(\mathrm{PxV}) / \mathrm{T}=42.85$
$(600 x V) / 240=42.85$
$2.5 \mathrm{xV}=42.85$
$\mathrm{v}=42.85 / 2.5=17.1 \mathrm{~m}^{3}$

## Pressure Layers


-TABLE 8.1

## Common Isobaric Charts and Their Approximate Elevation above Sea Level

| ISOBARIC SURFACE <br> $(M B)$ CHARTS | APPROXIMATE ELEVATION <br> $(\mathrm{m})$ | $(\mathrm{ft})$ |
| :---: | :---: | :---: |




## Cross Section of an Isobaric Surface



Warm
Cold

## Pressure - Height - Temperature

|  | WARM | COLD |
| :--- | :--- | :--- |
| SURFACE | LOW Pressure | High Pressure |
| UPPER <br> LEVELS | HIGH Pressure <br> (Ridge) | LOW Pressure <br> (Trough) |

TANK A
TANK B


## Dalton's Law of Partial Pressures

- Suppose you have a gas that is a mixture of gases A, B, and C (nitrogen, oxygen, and water vapor)
- The gas has a pressure of $\mathrm{P}_{\mathrm{t}}$
- The pressures of gases $\mathrm{A}, \mathrm{B}$, and C by themselves are $\mathrm{P}_{\mathrm{A}}, \mathrm{P}_{\mathrm{B}}$, and $\mathrm{P}_{\mathrm{C}}$
- 

$$
P_{t}=P_{A}+P_{B}+P_{C}
$$

