## COURSE: MATRIX ALGEBRA (2 credit) <br> CODE: MT 304

Description: The purpose of this course is to improve students' ability in understanding basic concepts of Matrix Algebra
As provisions for teaching school mathematics, as prerequisite for Linear Algebra, and other course. The material included in this course are understanding of matrix, various of matrix, matrix arithmetic, system of linear equations, homogeneous systems of linear equations, matrix inverse, determinant, and transformation

## Prerequisite: -

Resources: 1. Howard Anton. (1995). Elementary Linear Algebra. New York : John Willey \& Sons, Inc.
2. Raisinghania, M.D \& Aggarwal R. S (1980) Matrices. New Delhi : S. Chan \& Company Ltd.
3. Larry Smith. (1998).Linear Algebra. Gottingen : Springer.
4. Muliana Halim dan Irawati. (1992). Aljabar Linear Elementer. Bandung : Jurusan Matematika FMIPA ITB.
5. Setiadji. (1998). Pengantar Aljabar Linear. Yogyakarta : FMIPA UGM.

## DEPARTEMENT OF MATHEMATICS EDUCATION

## FACULTY OF MATHEMATICS EDUCATION AND SCIENCE - INDONESIA UNIVERSITY OF EDUCATION

## SILLABUS

COURSE: MATRIX ALGEBRA (2 SKS)

## CODE: MT 304

| WEEK | TOPIK ANDSUB TOPIK | GOAL | OBJECTIVE | MATERIAL | METHOD \& APPROACH | $\underset{\text { ENT }}{\text { INSTRUM }}$ | TEST | RESOURCES |
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| 1 | Matrix and Matrix arithmetic | The students can Understand the meaning of matrix and various of matrix | The purpose of this course are the students be able to: <br> 1.1. express definition of matrix <br> 1.2. make several examples of matrix using right notation <br> 1.3. determine order of a given metric <br> 1.4 write general shape of m x n matrix | 1. The meaning of matrix | Expository, questionanswer method, and task giving. | OHP or LCD, computer, and white board. | Task 1 | 1. Howard <br> Anton. <br> (1995). <br> Elementary <br> Linear <br> Algebra. New <br> York : John <br>  <br> Sons, Inc. <br>  <br> Aggarwal R. S (1980) <br> Matrices. <br> New Delhi : <br>  <br> Company <br> Ltd. <br> 3. Larry Smith. (1998).Linear Algebra. Gottingen : Springer.. |


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| 2 |  | The students can understand Matrix Operations and | 1.5 determine location of an element of given matrix <br> 2.1 formulate definition of certain various matrix through observation on given matrix <br> 2.2 differentiate various of matrix <br> 2.3 make relation between diagonal matrix, scalar matrix, and unit matrix <br> 2.4 make minimum an example of each various of matrix <br> 3.1 determine requirement of matrix addition <br> 3.2. determine requirement of matrix subs traction <br> 3.3. determine requirement of multiplication between two matrices | 2. Various of Matrix <br> 3. Matrix Opera -tions | Expository, questionanswer method, and task giving. | OHP or LCD, computer, and white board. | Task 2 | 4. Muliana Halim dan Irawati. (1992). Aljabar Linear Elementer. Bandung : Jurusan Matematika FMIPA ITB. 5. Setiadji. (1998). Pengantar Aljabar Linear. Yogyakarta: FMIPA UGM. <br> The same as above |


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|  |  | Rules of Matrix Arithmetic | 3.4. add a matrix and other one <br> 3.5. do subs traction of matrices <br> 3.6. multiply between scalar and matrix <br> 3.7. multiply between a matrix and another one <br> 3.8. find $\mathrm{a}_{\mathrm{ij}}$ elements of product multiplication between a matrix and another one for certain i and j without finding product multiplication in general |  |  |  |  |  |


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|  |  |  | 3.9. determine transpose of a matrix <br> 3.10. determine trace of a matrix <br> 3.11. proof matrix arithmetic theorems |  |  |  |  |  |
| 3 | Discussion of hom | work exercises | checking the students' un | erstanding | Questionanswer method and discussion | White board |  |  |
| 4 | System of Linear Equation | The student can understand about concept of system of linear equation and matrix. | 4.1 make example of linear equations <br> 4.2 differentiate between an example and nonexample of linear equation through observation on given equations <br> 4.3. express definition of system of linear equation <br> 5.1. differentiate between matrix in rowechelon form and matrix in reduced rowechelon form | 4. System of Linear Equation <br> 5. GaussJordan's elimination | Expository , questionanswer method, and task giving. <br> Expository , questionanswer method, and task giving | OHP or LCD, computer, and white board. <br> OHP or LCD, computer, and white board. | Home work to be discussed in next meeting | The same as above |


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|  |  |  | 5.2 reduce an augmented <br> matrix of linear <br> equation system to <br> matrix in row- <br> echelon form <br> 5.3 reduce an augmented <br> matrix of linear <br> equation system to <br> matrix in reduced <br> row-echelon form <br> 5.4. solve a linear <br> equation system <br> using Gauss <br> elimination <br> 5.5. solve a linear equate <br> ion system using <br> gauss-Jordan <br> elimination <br> 5.6. make minimum one <br> example of <br> inconsistent linear <br> equation system <br> which has variable <br> more than the <br> equation |  |  |  |  |  |


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|  |  |  | 6.1. write general shape <br> of homogeneous <br> system of linear <br> equations consist <br> of $m$ equation <br> with $n$ variable. <br> 6.2. make an <br> example of <br> homogeneoun <br> system of linear <br> equations which has <br> trivial solution <br> neous <br> systems of <br> linear <br> equations |  |  |  |  |


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| 6 | Elementary matrix and matrix inverse and matrix inverse | The student can master about meaning of elementary matrix and invers of matrix | equations and inconsistent homogeneous system of linear equation <br> 6.6. determine geometric illustration of a homogeneous system of linear equation <br> 6.7. determine geometric illustration of a consisten homogenious linear equation system <br> 7.1. express definition of elementary matrix <br> 7.2. make several examples of elementary matrix <br> 7.3. differentiate between elementary matrix and nonelementary matrix | 7.Elementary Matrix |  |  |  | The same as above |


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|  |  |  | 8.1. determine inverse of a matrix using elementary row operation <br> 8.2. determine singularity of a matrix <br> 8.3. proof the theorems of matrix's inverse <br> 8.4. using matrix inverse for solving linear equation system | Invers of a Matrix. |  |  |  |  |
| 7 | Discussion of home work exercises for checking the students' understanding |  |  |  | questionanswer method and discussion | White board |  |  |
| 8 | MID SEMSTER TEST |  |  |  |  |  |  |  |
| 9 | Function of determinant and it's characteristics | The students be able to understand concept of function of determinant and it's characteristics and using it to solve linear equation system | 9.1 make classification of a permutation <br> 9.2 make definition of function of determinant through understanding of permutation and elementary multiplication product <br> 9.3 establish formulation of determinant | 9.The meaning of determinant function | Expository, questionanswer method, and task giving. | OHP or LCD, computer, and white board. | Doing exercises in the class | The same as above |


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|  |  |  | of square matrix of four order <br> 9.4 determine determinant value of a matrix using determinant definition. <br> 10. 1 proof the theorems of properties of determinant function <br> 10.2 determine value of determinant using theorems of determinant's properties | 10. Properties of determinant function |  |  |  | The same as above |
|  |  |  | 10.3 use determinant's properties for checking is a matrix invertible or not |  |  |  |  |  |
| 11 | Discussion of home work exercises for checking the students' understanding |  |  |  | Questionanswer method and discussion | White board |  |  |


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| 12 |  |  | 11.1 find minor of an element | 11. Cofactor expansion and | Expository, questionanswer | OHP or LCD, computer, | Home work to be discussed | The same as above The same as above |
|  |  |  | 11.2 find cofactor of an element | Crammer's rule | method, and task giving. | and white board. | in next meeting |  |
|  |  |  | 11.3 determine determinant value of a matrix using cofactor |  |  |  |  |  |
|  |  |  | 11.4 Find adjoint of a matrix |  |  |  |  |  |
|  |  |  | 11.5 determine inverse of an invertible matrix using adjoint |  |  |  |  |  |
|  |  |  | 11.6 using Crammer's rule to solve a linear equation system |  |  |  |  |  |
| 13 | Discussion of | we work exercises | r checking the students' | derstanding | Questionanswer method and discussion | White board |  |  |
| 14 | Plane <br> Transformation | More understand about plane transformation | 12.1 determine factor of transformation <br> 12.2 determine image equation of a geometric shape caused by a transformation | 12.Translation, Reflection, Rotation, and Dilatation | Expository, questionanswer method, and task giving. | OHP or LCD, computer , and white board. | Home work to be discussed in next meeting | The same as above |


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|  |  |  | 12.3 determine operator matrix for a plane transformation <br> 13. 1 determine operator matrix for a composition of plane transformation. <br> 13. 2 determine the image of a geometric shape caused by a composition of transformation 12.3 determine operator matrix for a plane transformation <br> 13. 1 determine operator matrix for a composition of plane transformation. <br> 13. 2 determine the image of a geometric shape caused by a composition of transformation | 13. Composition of plane transformation. |  |  |  |  |


| 15 | RESPONSE |
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| 16 | FINAL TEST |

Approved by:
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$\overline{\text { NIP. }}$

Head of Mathematics Education Program

NIP.

Bandung, November 2008
Lecturer

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